

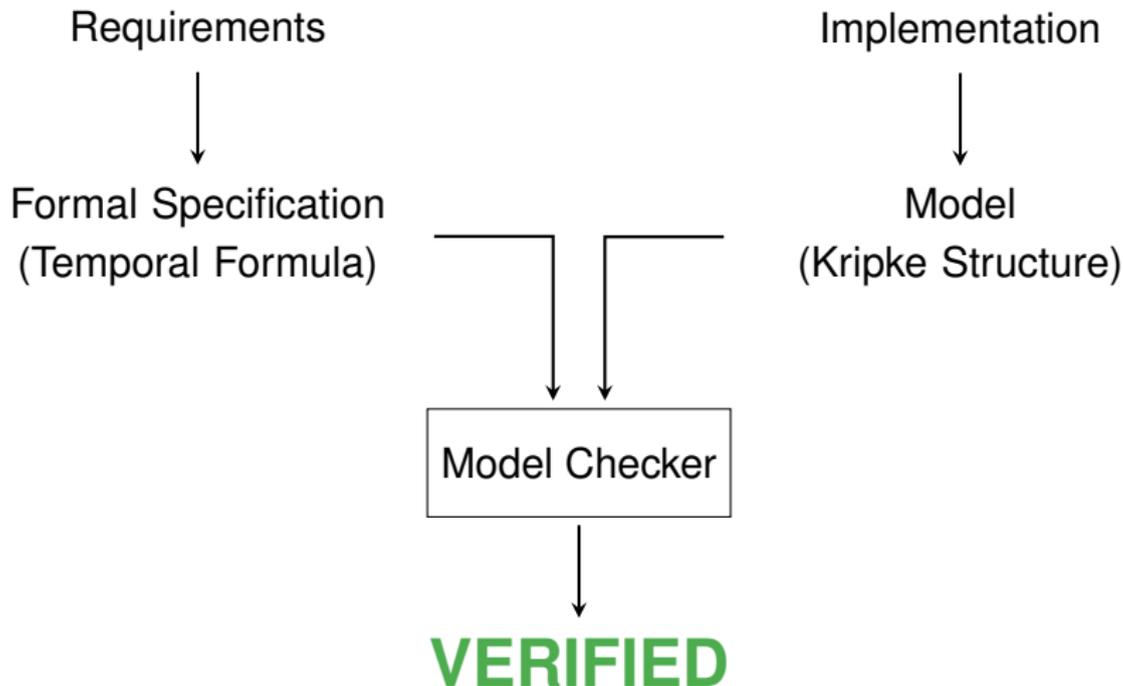
DEBUGGING: SOFTWARE BMC

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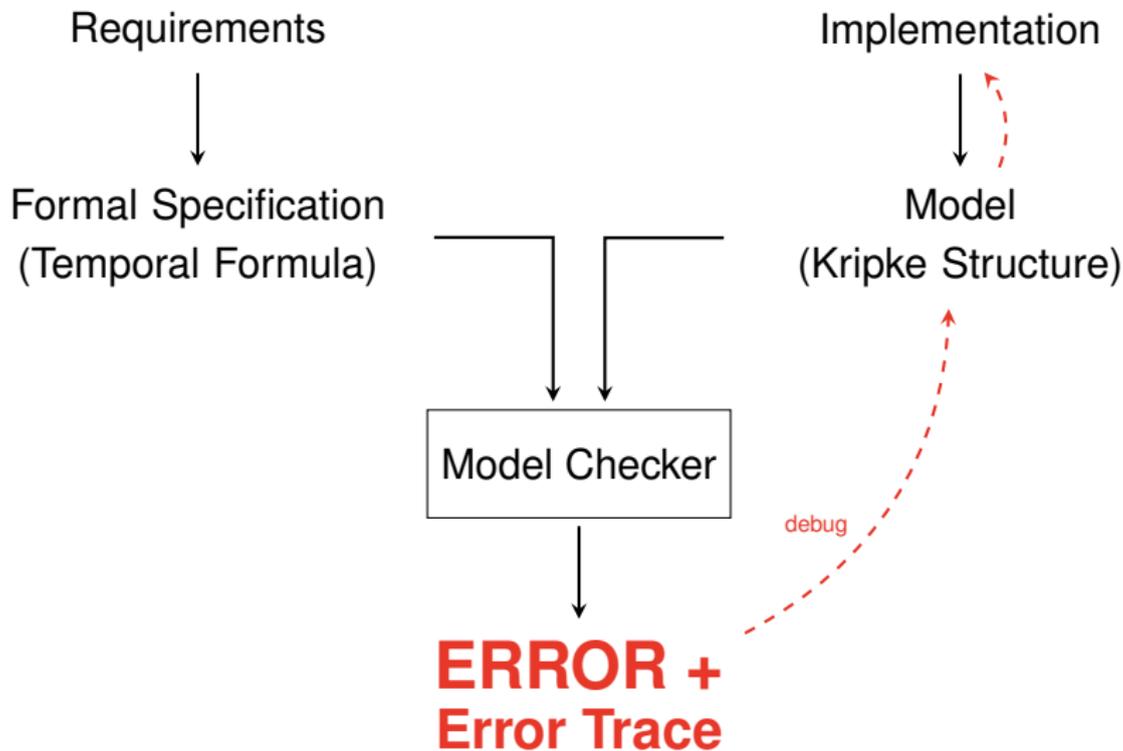


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Model Checking



Model Checking



Types of Model Checking

General question: Given a system K and a property p , does p hold for K (i.e., for all initial states of K) ?

- Explicit state model checking
 - enumeration of the state space
 - state explosion problem
- Symbolic model checking
 - representation of model checking problem as logical formula (e.g., in propositional logic (SAT) or QBF)

Bounded Model Checking

basic idea: search for a counter-example of bounded length k

- encoding in propositional logic (or extensions)
- use SAT solvers to find such a counter-example:
formula is satisfiable iff a bug is found, i.e., an execution of program that violates the claim.
- benefits:
 - bit-precise encoding of the real semantics
 - powerful SAT solvers
 - difficulty of the problem is controllable (by selection of k)
- drawback: incomplete for k that is too small

⇒ can be used for debugging

Bounded Model Checking of ANSI-C Programs

■ idea:

- unwind program into equation
- check equation using SAT

■ benefits:

- completely automated
- treatment of pointers and dynamic memory is possible

■ properties:

- simple assertions
- run time errors (pointers/arrays)
- run time guarantees (WCET)

for example implemented in tool CBMC

From C to SAT

- removal of side effects

example: `j=i++` is rewritten to `j=i; i=i+1`

- control flow is made explicit

example: `continue`, `break` are replaced by `goto`

- transformation of loops to `while (...)` ...

- `while (...)` ... loops are unwound

- all loops must be bounded
→ analysis may become incomplete
- constant loop bounds are found automatically, others must be specified by user
- to ensure sufficient unwinding, “unwinding assertions” are added

From C to SAT: Loop Unwinding

original function:

```
void f (...) {  
    ...  
    while (cond) {  
        body;  
    }  
    rest;  
}
```

with unwounded loop:

```
void f (...) {  
    ...  
    if (cond) {  
        body;  
        if (cond) {  
            body;  
            if (cond) {  
                body;  
                assert(!cond);  
            }  
        }  
    }  
    rest;  
}
```

after last iteration an assertion is added:

violated if program runs longer than bound permits

From C to SAT: SSA

single static assignment (SSA) form: fresh variable for LHS of each assignment

example:

```
x = x + y;  
x = x * 2;  
a[i] = 100;
```

is translated to

```
x1 = x0 + y0;  
x2 = x1 * 2;  
a1[i0] = 100;
```

from which the following SMT formula can be derived

 $(x_1 = x_0 + y_0) \wedge (x_2 = x_1 * 2) \wedge (a_1[i_0] = 100)$

From C to SAT: Conditionals

- for each join point, new variables with selectors are added
- example:

original program:

```
if (v)
  x = y;
else
  x = z;
```

```
w = x;
```

⇒

rewritten program:

```
if (v0)
  x0 = y0;
else
  x1 = z0;
```

```
x2 = v0 ? x0 : x1;
```

```
w1 = x2;
```

From C to SAT: Example

```
int main () {
    int x, y;
    y = 1;
    if (x)
        y-;
    else
        y++;
    assert
        (y==2 || y==3);
}

int main () {
    int x, y;
    y1 = 1;
    if(x0)
        y2 = y1-1;
    else
        y3 = y1+1;
    y4 = x0 ? y2 : y3;
    assert
        (y4==2 || y4==3);
}
```

$$\begin{aligned} & ((y_1 = 8) \wedge (y_2 = y_1 - 1) \wedge (y_3 = y_1 + 1) \wedge (y_4 = x_0 ? y_2 : y_3)) \\ & \rightarrow ((y_4 \leftrightarrow 2) \vee (y_4 \leftrightarrow 3)) \end{aligned}$$